| Question Number | Scheme | Marks |
| :---: | :---: | :---: |
| (a) <br> (b) | e.g. <br> Sort complete. <br> $1^{\text {st }}$ choice $\left[\frac{1+8}{2}\right] \rightarrow 5$ Lauren <br> reject right <br> $2^{\text {nd }}$ choice $\left[\frac{1+4}{2}\right] \rightarrow 3$ John <br> reject right <br> $3^{\text {rd }}$ choice $\left[\frac{1+2}{2}\right] \rightarrow 2$ Imogen reject right <br> $4^{\text {th }}$ choice 1 Hannah reject <br> List now empty so Hugo not in list <br> Notes: <br> (a) 1M1: quick sort, pivots, $p$, chosen and two sublists one $<p$ one $>p$. <br> If choosing 1 pivot per iteration only M1 only. <br> 1A1: first pass correct and next pivots chosen correctly/consistently. <br> 2A1ft: second pass correct, next pivots correctly/consistently chosen. <br> 3A1ft: third pass correct, next pivots correctly/consistently chosen. <br> 4A1: all correct, cso. <br> (b) 1M1: binary search, choosing pivot, rejecting half list. If using unsorted list, M0. Accept choice of K for M1 only. <br> 1A1: first pass correct, condone 'sticky'pivot here, bod. <br> 2A1ft: second pass correct, pivot rejected. <br> 3A1: cso. | M1 <br> A1 <br> Alft <br> Alft <br> Alcso <br> (5) <br> M1 A1 <br> Alft <br> A1 <br> (4) <br> [9] |



| Question Number | Scheme | Marks |
| :---: | :---: | :---: |
| 3 <br> (a) <br> (b) | $1^{\text {st }}$ dummy - D depends on B only, but E and F depend on B and C <br> $2^{\text {nd }}$ dummy - G and H both must be able to be described uniquely in terms of the events at each end. <br> Notes: <br> (a) 1M1: one start and A to C and one of D, E or F drawn correctly <br> 1A1: $1^{\text {st }}$ dummy (+arrow) and $D, E$ and $F$ drawn correctly <br> 2A1: G, H, I and J drawn in correct place <br> 3A1: second dummy (+arrow) drawn in a correct place <br> 4A1: cso. all arrows and one finish. <br> (b) 1B1: cao, but B, C, D, E and/or F referred to, generous 2B1: cao, but generous. | M1 <br> A1 <br> A1 <br> A1 <br> A1 <br> (5) <br> B1 <br> B1 <br> (2) <br> [7] |


| Question Number | Scheme | Marks |
| :---: | :---: | :---: |
| 4 <br> (a) <br> (b) <br> (c) | Alternating path $\mathrm{B}-3=\mathrm{A}-5$ change status $\mathrm{B}=3-\mathrm{A}=5$ $\mathrm{A}=5 \quad \mathrm{~B}=3 \quad \mathrm{C}=2 \quad \mathrm{D}=1 \quad \mathrm{E}=6 \quad \mathrm{~F} \text { unmatched }$ <br> e.g. C is the only person able to do 2 and the only person able to do 4 . Or D, E and F between them can only be allocated to 1 and 6 . <br> Alternating path $\mathrm{F}-6=\mathrm{E}-1=\mathrm{D}-2=\mathrm{C}-4$ $\text { change status } \quad \mathrm{F}=6-\mathrm{E}=1-\mathrm{D}=2-\mathrm{C}=4$ $\mathrm{A}=5 \quad \mathrm{~B}=3 \quad \mathrm{C}=4 \quad \mathrm{D}=2 \quad \mathrm{E}=1 \quad \mathrm{~F}=6$ <br> Notes: <br> (a) 1M1: Path from B to 5 . <br> 1A1: Correct path including change status <br> 2A1: CAO my matching, may be drawn but if so 5 lines only and clear. <br> (b) 1B1: Close, a correct relevant, productive statement bod generous <br> 2B1: A Good clear answer generous <br> (c) 1M1: Path from F to 4 . No ft. <br> 1A1: Correct path penalise lack of change status once only <br> 2A1: CAO may be drawn but if so 6 lines only and clear | M1 A1 <br> A1 <br> (3) <br> B2, 1, 0 <br> (2) <br> M1 A1 <br> A1 <br> (3) <br> [8] |


| Question Number | Scheme | Marks |
| :---: | :---: | :---: |
| (a) <br> (b) | Odd vertices C, D, E, G $\begin{aligned} & \mathrm{CD}+\mathrm{EG}=17+19=36 \\ & \mathrm{CE}+\mathrm{DG}=12+25=37 \\ & \mathrm{CG}+\mathrm{DE}=28+13=41 \end{aligned}$ $\text { Length = } 543 \text { + } 36 \text { = } 579 \text { (km) }$ <br> CE (12) is the shortest <br> So repeat CE (12) <br> Start and finish at D and G <br> Notes: <br> (a) 1B1: cao (may be implicit) <br> 1M1: Three pairings of their four odd nodes <br> 1A1: one row correct <br> 2A1: all correct <br> 3A1ft: 543 + their least = a number. Condone lack of km <br> (b) 1 M 1 ft : Identifies their shortest from a choice of at least 2 rows. 1 A 1 ft : indicates their intent to repeat shortest. <br> 2A1ft: correct for their least. | B1 <br> M1 A1 <br> A1 <br> Alft <br> (5) <br> M1 <br> Alft <br> Alft <br> (3) |


| Question Number | Scheme | Marks |
| :---: | :---: | :---: |
| Q6 <br> (a) <br> (b) | Shortest route: A B C E G H <br> Length: 156 (km) <br> New route: A B E G H <br> Length: 165 (km) <br> Notes: <br> (a) 1M1: Dijkstra's algorithm, small replacing larger in at least one of the sets of working values at C, E, G or H <br> 1A1: Values correct at vertices A to E. <br> 2A1ft: Values correct at vertices F to H , penalise order only once. <br> 3A1: cao <br> 4A1ft: 156ft <br> (b) 1B1: cao ABEGH <br> 2B1: 165 Special Case Accept 166 if ABDGH listed as the path. | M1 <br> A1 <br> Alft <br> A1 <br> Alft <br> (5) <br> B1 <br> B1 <br> (2) <br> [7] |

Question
Number


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