

A H PHYSICS.

2005

1. a.) $\omega = \frac{v}{r} = \frac{1.3}{2.3 \times 10^{-2}} = 56.5 \text{ rad s}^{-1}$
- b.) $\omega = \frac{v}{r} = \frac{1.3}{5.8 \times 10^{-2}} = 22.4 \text{ rad s}^{-1}$
- c.) $v = r\omega$,
 v is constant and $= 1.3 \text{ ms}^{-1}$
 \therefore as $r \uparrow \omega \downarrow$
- d.) i.) $\theta = 2.8 \times 10^4 \times 2\pi$
 $= 1.76 \times 10^5 \text{ rad.}$
- ii.) $\omega^2 = \omega_0^2 + 2\alpha\theta$.
 $\alpha = \frac{\omega^2 - \omega_0^2}{2\theta}$
 $= \frac{22.4^2 - 56.5^2}{2 \times 1.76 \times 10^5}$
 $= -7.64 \times 10^{-3} \text{ rad s}^{-2}$
- iii.) $\omega = \omega_0 + \alpha t$
 $t = \frac{\omega - \omega_0}{\alpha} = \frac{22.4 - 56.5}{-7.64 \times 10^{-3}}$
 $= 4.46 \times 10^3 \text{ s.}$

2. a.) $I(\text{total}) = I(\text{roundabout}) + I(\text{child})$
 $= 500 + mr^2$
 $= 500 + 25 \times 2^2$
 $= 600 \text{ kg m}^2$.

b.) If no external unbalanced torque acts on a system the total angular momentum of the system remains unchanged.

c.) i.) $p = mv = 25 \times 2.4$
 $= 60 \text{ kg ms}^{-1}$

ii.) $L = rp$
 $= 2 \times 60$
 $= 120 \text{ kg m}^2 \text{ s}^{-1}$

d.) Total ang. mom. before = total after

$$120 = 600\omega$$

$$\therefore \omega = \frac{120}{600}$$

$$= 0.2 \text{ rad s}^{-1}$$

$$\begin{aligned}
 \underline{2.} \text{ e.) Total K before} &= \gamma_2 m v^2 \\
 &= \gamma_2 \times 25 \times 2^2 J \\
 &= 72 J \\
 \text{Total K after} &= \frac{1}{2} I \omega^2 \\
 &= \gamma_2 \times 600 \times 0.2^2 \\
 &= 12 J.
 \end{aligned}$$

$$K_{\text{lost}} = 60 J.$$

$$\begin{aligned}
 \text{f.) } \omega \cdot \theta &= K_{\text{lost}} \\
 f \times \theta &= \Delta K \\
 G \times \pi &= 60 \\
 G = \frac{60}{\pi} &= 19.1 \text{ Nm}
 \end{aligned}$$

$$\underline{3.} \text{ a.) i.) Centrifugal force} = \text{grav. force.} \\
 m \omega^2 r = \frac{G m M}{r^2}$$

$$\omega = \frac{2\pi}{T}$$

$$\begin{aligned}
 \therefore m \times \frac{4\pi^2}{T^2} r &= \frac{G m M}{r^2} \\
 \therefore \frac{4\pi^2 r}{T^2} &= \frac{G M}{r^2} \\
 \therefore \frac{T^2}{r^2} &= \frac{4\pi^2}{G M}.
 \end{aligned}$$

$$\begin{aligned}
 \text{ii.) } T &= \left(\frac{4\pi^2 r^3}{G M} \right)^{\frac{1}{2}} \\
 &= \left[\frac{4\pi^2 \times (3.8 \times 10^8)^3}{6.67 \times 10^{-11} \times 6 \times 10^{24}} \right]^{\frac{1}{2}} \\
 &= 12 \times 10^5 \text{ s.}
 \end{aligned}$$

$$\begin{aligned}
 \text{b.) i.) } u &= - \frac{G m M}{r} = - \frac{6.67 \times 10^{-11} \times 6 \times 10^{24} \times 9 \times 10^3}{6.8 \times 10^6} \\
 &= - 5.29 \times 10^{10} \text{ J.}
 \end{aligned}$$

$$\begin{aligned}
 \text{ii.) Total energy} &= K + u. \\
 K &= \gamma_2 m v^2 = \gamma_2 \times 900 \times (7.7 \times 10^3)^2 \\
 \text{Total} &= 2.67 \times 10^{10} + (-5.29 \times 10^{10}) \\
 &= -2.62 \times 10^{10} \text{ J.}
 \end{aligned}$$

3.

4. a.) Motion which obeys the relationship $\frac{d^2y}{dt^2} = -ky$

b.) i) $y = a \sin \omega t$

$$= a \sin 2\pi f t.$$

$$v = \frac{dy}{dt} = a \times 2\pi f \cos 2\pi f t.$$

$$\therefore 2\pi f = 625$$

$$\therefore f = 99.5 \text{ Hz.}$$

$$\text{i)} a \times 2\pi f = 0.5$$

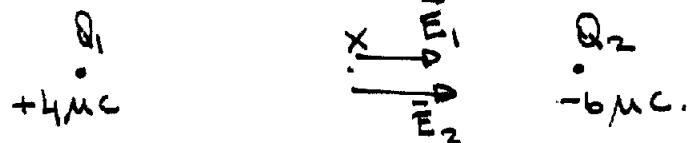
$$a = \frac{0.5}{2\pi \times 99.5}$$

$$= 8 \times 10^{-4} \text{ m.}$$

c.) Max. downward accn. sphere can attain $= 9.81 \text{ ms}^{-2}$

If accn. of cap ≥ 9.81 as it moves down it leaves sphere behind and loses contact.

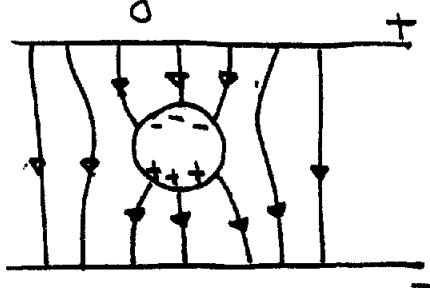
5. a)i)



$$\begin{aligned}
 \vec{E} &= \vec{E}_1 + \vec{E}_2 \\
 &= \frac{k \times 10^{-6}}{4\pi\epsilon_0 (3 \times 10^{-3})^2} + \frac{6 \times 10^{-6}}{4\pi\epsilon_0 (2 \times 10^{-3})^2} \\
 &= \frac{1}{4\pi\epsilon_0} \left[\frac{k \times 10^{-6}}{9 \times 10^{-6}} + \frac{6 \times 10^{-6}}{4 \times 10^{-6}} \right] \\
 &= \frac{1}{4\pi \times 8.85 \times 10^{-12}} \left[\frac{k}{9} + \frac{6}{4} \right] \\
 &= \frac{1.94}{4\pi \times 8.85 \times 10^{-12}} \\
 &= 1.75 \times 10^{10} \text{ N C}^{-1}
 \end{aligned}$$

i) Towards the right.

b)i)



ii.) The mesh acts as a shield. No field is set up inside the field to interfere with the electrical signal in the central wire.

b. a) $E = QV = \frac{1}{2}mv^2$
 $V^2 = \frac{2QV}{m}$

$$\begin{aligned} V &= \left[\frac{2QV}{m} \right]^{\frac{1}{2}} \\ &= \left[\frac{2 \times 1.6 \times 10^{-19} \times 1.5 \times 10^3}{9.11 \times 10^{-31}} \right]^{\frac{1}{2}} \\ &= 2.3 \times 10^7 \text{ ms}^{-1}. \end{aligned}$$

b.) $t = \frac{s}{v} = \frac{9 \times 10^{-2}}{2.3 \times 10^7}$
 $= 3.91 \times 10^{-9} \text{ s.}$

c) i) $F = QE = \frac{QV}{d}$
 $= \frac{1.6 \times 10^{-19} \times 600}{5 \times 10^{-2}}$
 $= 1.92 \times 10^{-15} \text{ N.}$

ii) $a = \frac{F}{m} = \frac{1.92 \times 10^{-15}}{9.11 \times 10^{-31}}$
 $= 0.21 \times 10^{16} \text{ ms}^{-2}$
 $s = ut + \frac{1}{2}at^2$
 $= 2 \times 0.21 \times 10^{16} \times (3.91 \times 10^{-9})^2$
 $= 1.6 \times 10^{-2} \text{ m.}$

d.) i.) No U.F. acts in horizontal plane \therefore uniform hor. speed.
 constant U.F. " " vertical plane \therefore uniform accn.

The 2 motions combine to produce a curved path.

ii.) No U.F. acts \therefore Electrons obey M.I and travel with
 uniform velocity.

e.) The hor. speed of the electrons is reduced \therefore time taken
 to travel between // plates increases. Electrical force and
 accn. act for longer on the electrons. Deflection increases.

7. a.) i.) Use R.H. Rule. \rightarrow charge +ve.
 ii.) Centripetal force = magnetic force.
 $\frac{mv^2}{r} = QVB$

$$\begin{aligned} \frac{Q}{m} &= \frac{V}{RB} = \frac{2 \times 10^6}{1.39 \times 10^{-2} \times 1.5} \\ &= 0.96 \times 10^8 \text{ C kg}^{-1} \end{aligned}$$

iii.) Proton.

5.

7. a.) (i) From data table $\frac{Q}{m}$ for proton = $\frac{1.6 \times 10^{-19}}{1.673 \times 10^{-27}}$
 $= 0.96 \times 10^8 \text{ C kg}^{-1}$.

- b.) Vel. has component $\perp r$ to \underline{B} which gives rise to a centripetal force producing Cav motion.
 Vel. has component $\parallel r$ to \underline{B} . Hor. speed constant.
 2 motions combine to produce helical motion.
- c.) Vel. is $\perp r$ to \underline{B} . A centripetal force acts on the particles and they move in a Cav path. They penetrate no further into the atmosphere but spiral back out into space.

8. a.) $h = - \frac{E}{\frac{dI}{dt}}$

Thus if $\frac{dI}{dt} = 1 \text{ A s}^{-1}$ the induced voltage $E = 2 \text{ V}$

(or similar).

b.) $\frac{dI}{dt} = \frac{E}{L} = \frac{12}{2} = 6 \text{ A s}^{-1}$.

c.) i.) L is smaller $\therefore I$ increases more rapidly
 \propto less \therefore final I less.

ii) $E = Y_2 L I^2$
 $= Y_2 \times 1.5 \times 2.5^2$
 $= 4.69 \text{ V}$.

- d.) i.) The conducting bracelet moves rel. to the magnetic field
 ii.) The current in the bracelet sets up a magnetic field. This moves thro' coil 2 and induces a current in coil 2.

9. a.) i.) $y = \sin 2\pi \left(ft - \frac{x}{\lambda} \right)$

$\therefore 2\pi f = 1570$.

$\therefore f = 250 \text{ Hz}$.

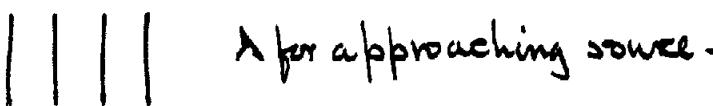
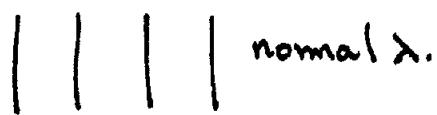
ii) Int. $\propto a^2$

$\therefore a$ must double.

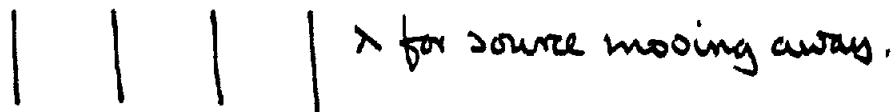
$\therefore y = 4 \times 10^{-4} \sin(1570t + 4.6x)$.

- b.) i.) When train is opposite person, frequency heard = true frequency
 As train approaches person frequency heard $>$ true frequency
 " " moves away from " $<$ " true frequency

Q. b.) iii) As source approaches distance b 'n wavefronts is reduced.
i.e. λ is reduced.
 $v = f\lambda$, $\therefore f$ is increased



As source moves away distance b 'n wavefronts increases.
i.e. λ increases.
 $v = f\lambda \therefore f$ is reduced.



$$\text{iii.) } f' = \frac{v}{v \pm v_s} \times f.$$

$$f' < f \therefore f' = \frac{v}{v + v_s} \times f.$$

$$760 = \frac{v}{v + v_s} \times 800.$$

$$760v + 760v_s = 800v.$$

$$760v_s = 40v$$

$$v_s = \frac{40}{760} \times 340 \\ = 17.9 \text{ ms}^{-1}$$

$$\text{i.) a.) i.) } \lambda = \frac{d \Delta x}{L}$$

$$= \frac{0.25 \times 8 \times 10^{-6}}{3.91}$$

$$= 511.5 \times 10^{-9} \text{ m.}$$

$$\text{ii.) } \% \text{ age unc. in } d = \frac{0.01}{0.25} \times 100 = 4\%.$$

$$\text{ " " in } \Delta x = \frac{0.5}{8} \times 100 = 6.25\%.$$

$$\text{ " " " L } = \frac{0.01}{3.91} \times 100\% = 0.26\%.$$

Ignore $\%$ age unc. in L .

$$\% \text{ age unc. in } \lambda = \sqrt{4^2 + 6.25^2} \\ = 7.4\%.$$

$$\therefore \text{ Absolute unc. in } \lambda = 3.8 \text{ nm.} \\ = 4 \text{ nm.}$$

I

Q. a.) iii.) Too many significant figures.

$$\text{b.) \% \text{ age unc. in measurement} = \frac{0.5}{64} \times 100\% \\ = 0.78\%$$

This can be ignored as << than \% age unc. in d.

$\therefore \% \text{ age unc. in } \lambda = \% \text{ age unc. in } d = 4\%$.

$$\therefore \text{unc. in } \lambda = \frac{54.5}{100} \times 4 = 20.5 \text{ nm.}$$

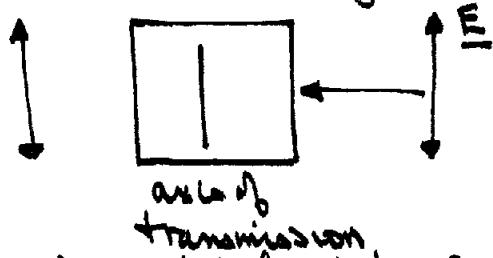
c.) i.) \% age unc. in this measurement is less than previously and can again be ignored.
ii.) Measurement of slit separation.

ii) a.) Polarised light, E always lies in same plane 

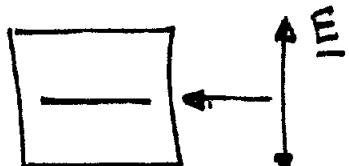
Unpolarised, E lies in randomly varying plane 

b.) i.) No light reaches mirror \therefore no light reflected and crystal appears dark.
ii.) S is closed.

c.) Reflected light is polarised. Initially area surrounding the figures appears bright and figures (segments) are visible



As polarising material rotates less light is transmitted. After a rotation of 90° no light is transmitted. Whole screen is dark and no numbers visible.



On rotating further light is transmitted once more. After 180° surrounding area appears bright again and numbers are visible once more.