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- (a) (i) mass x velocity / mv with symbols defined 1
 (ii) $0 = m_1v_1 - m_2v_2 / m_1v_1 = m_2v_2 / 0 = m_1v_1 + m_2v_2$ 1
 $v_1/v_2 = m_2/m_1$ or $-m_2/m_1$ consistent with line above 1 [3]
 max 1 mark for final expression without line 1
- (b) (i) $E = \frac{1}{2}mv^2 (= 1.2 \times 10^{-14})$ 1
 $v = \sqrt{(2 \times 1.2 \times 10^{-14} / 6.7 \times 10^{-27})}$ 1
 $v = 1.9 \times 10^6 \text{ (m s}^{-1}\text{)}$
 (ii) $(mv =) 6.7 \times 10^{-27} \times 1.9 \times 10^6$
 $mv = 1.3 \times 10^{-20} \text{ (kg m s}^{-1}\text{)}$ 1
 (iii) $1.3 \times 10^{-20} = mv = 4.0 \times 10^{-25} v$ ecf 1
 or $3.9 \times 10^{-25} v$ if mass of α -particle is subtracted
 $v = 3.3 \times 10^4 \text{ (m s}^{-1}\text{)}$ 1
 or $6.7 \times 10^{-27} / 4.0 \times 10^{-25} = v / 1.9 \times 10^6$ 1
 $v = 3.2 \times 10^4 \text{ (m s}^{-1}\text{)}$ 1 [5]
- (c) (i) X is about 15 mm from P 1
 (ii) XP arrow direction is a straight line through P 1
 (iii) N is about 0.3 mm from P; ecf from (b) (iii) 1 [3]

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- Question Expected Answers Marks**
- (a) Same speed (mandatory) as energy transfer is the same / some further qualification, e.g. (increase in) k.e = (loss in) p.e./car falls through same height 2 [2]
- (b) (i) $h = 1.2 \sin 45 = 0.85 \text{ m}$ 1
 $mgh = 0.05 \times 9.8 \times 0.85 = 0.42 \text{ (J)}$ accept $g=10\text{ms}^{-2}$ 2
 (ii) $\frac{1}{2}mv^2 = 0.42$ ecf or $v^2 = 2gh$ 1
 $v = 4.1 \text{ (m s}^{-1}\text{)}$ 1 [5]
- (c) (i) $m(v + 2v/3) = 5m = 0.25$; $\text{kg m s}^{-1}/\text{N s}$ 3
 (ii) $F = m \Delta v / \Delta t = 1.25 \text{ (N)}$ ecf c(i) 2 [5]
- Total 12**

3

- (a) (i) Two vertical arrows of equal length (by eye) and opposite direction in the same vertical line passing through the ball; weight/gravity/ $mg/0.49 \text{ N}$ and (normal)reaction/string tension/ 0.49 N 1 2
 (ii) gravity; acts on ball and Earth /AW 2
 contact/reaction forces; between ball and strings/racket 2 4
 (iii) (resultant force) = ma ; $= 0.05 \times 2 = 0.1 \text{ (N)}$ 2 2
- (b) (i) $v^2 = u^2 + 2gh / \frac{1}{2}mv^2 = mgh$ to give $v^2 = 2gh$; 1
 $v^2 = 2 \times 9.8 \times 0.8$ to give $v = 4.0 \text{ (m s}^{-1}\text{)}$ accept 3.96 1 2
 (ii) $mv = 0.20 \text{ (kg m s}^{-1}\text{)}$ accept 0.198 1 1
 (iii) $2mv = 0.40 \text{ (kg m s}^{-1}\text{)}$ accept 0.396 1 1
 (iv) $2mv/t = 8.0 \text{ (N)}$ accept 7.92 ecf b(iii) 1 1
- [Total 13]**

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(a)		Work = force x distance (moved in direction of force);	1	
		Power = work/time /AW	1	
		Power = force x distance/time = force x velocity	1	3
(b)	(i)	$P = Fv = 2 \times 10^5 \times 10$ $= 2M / 2 \times 10^6 (W)$ give 1 mark for 20(W)	1	
			1	2
	(ii)	Graph shows F is proportional to $1/v$ or minimum of two more calculations of P to show same value	1	1
	(iii)	$F = 2 \times 10^6 / 5 = 4 \times 10^5 (N)$ ecf from b(i)	1	1
(c)	(i)	Resultant force = mass x acceleration; $2 \times 10^5 - 5 \times 10^4 = 3 \times 10^5 a$; $a = 0.5 (m s^{-2})$ give max 1 mark for $a = 0.67 (m s^{-2})$	1	
			1	3
	(ii)	max. speed when $a = 0$ / $F = 5 \times 10^4 N$; giving $v = 40 (m s^{-1})$ from fig 1.1 or by calculation	1	
			1	2
Total				12

5

(a)	(i)	Line in direction NA	1	
	(ii)	Line passing perpendicular to the tangent at the point of closest approach to N <i>judged by eye</i>	1	2
(b)	(i)	k.e. = $\frac{1}{2} mv^2 (= 8 \times 10^{-13})$ $v^2 = 2 \times 8 \times 10^{-13} / 6.7 \times 10^{-27} = 2.39 \times 10^{14}$ $v = 1.5(45) \times 10^7 (m s^{-1})$	1	
			1	2
	(ii)	$mv = 6.7 \times 10^{-27} \times 1.5 \times 10^7 = 1.0(35) \times 10^{-19} (kg m s^{-1})$	1	1
(c)	(i)	$m/4$, $v \times 2$ so $p/2$ from b(ii) or use k.e = $p^2/2m$; correct substitution with $m = m_p$ to give $p = 5 \times 10^{-20} (kg m s^{-1})$	2	2
	(ii)	(average) force smaller/recoil slower/momentum less/interaction time shorter/angle of recoil different/steeper/AW <i>allow smaller/shorter distance</i>	any 2	2
(d)			2	
		$F = (1/4\pi\epsilon_0) Q_1 Q_2 / r^2$; $Q_1 = 1 (e)$, $Q_2 = 97 (e)$; correct substitution of figures giving $F = 3.97 \times 10^{-2} (N)$ accept 0.04 N allow 79e giving 0.032 (N)	1	4
Total				13

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Question	Expected Answers	Marks
a	i Work = force x distance ;moved in direction of force;	2
	ii power = work/time;AW power = force x distance/time = force x velocity	1
b	i k.e. = $\frac{1}{2} mv^2$; $= 0.5 \times 120 \times 25 = 1500 (J)$	1
	ii $P = Fv$ or $200 = F \times 5$; $F = 200/5 = 40 (N)$	2
	iii $Fd = 1500$; so $d = 1500/40 = 37.5 (m)$ ecf from b(i) and (ii)	2
c	$\Delta p.e./second = mgv \sin \theta = 120 \times 9.8 \times 5 \times 0.033$; = 194 (W) n.b. allow using 1/30 ans: 196 (W)	2
	AW, e.g.: force downhill $F = mg \sin \theta$; extra power = Fv , etc. $P = 200 + 194 = 394 (W)$	1
Total		13

Question	Expected Answers	Marks	
7	a		
	Momentum of a particle = mass x velocity,	1	
	linear momentum is constant in the collision; always/ in every collision;	2	
	because there are no external forces	1	
	total energy is constant in every collision;	1	
	k.e. is (only) conserved in elastic collisions;	1	
	otherwise some k.e. is lost/dissipated/randomised/turned to heat,etc	1	
	<i>max 6 marks</i>		
	b	<i>Neatest and possibly shortest answer is in terms of constant steady motion of the centre of mass of the system</i>	6
	<i>there are several ways of approaching a satisfactory answer with many marking points; use 1 mark per valid point and 1 mark per valid reason.</i>		
	<i>here is a selection of likely marking points:</i>		
	<i>small particle incident on large one</i>		
	Analogy with ball bouncing off wall;	1	
	energy transfer to massive particle is very small;	1	
	as v of massive particle is so small; because momentum conserved;	2	
	<i>large particle incident on small one</i>		
	massive particle can only transfer a small fraction of its momentum;	1	
	so keeps most of its k.e.; small particle hardly needs any k.e.;	2	
	<i>alternative wording such as:</i>		
	small particle moves off at roughly twice velocity of massive particle;	1	
	massive particle hardly slowed	1	
	<i>common features which can be expressed in many alternative ways</i>		
	(constant/steady) motion of c.of mass of system (towards right)	1	
	incident momentum very small in first case compared to second	1	
	ratio of masses to inverse ratio of velocities/distances moved	1	
	k.e depends on v^2 , so v ratio has more effect than mass ratio on energy transfer	1	
	any other valid points <i>for each</i>	1	
	<i>mathematical expositions acceptable as long as they reach meaningful conclusions</i>		
	<i>max 6 marks</i>		
	Quality of written communication	6	
	Total	4	
		16	
8	a		
	i	$\rho = m/V = m/Av$; $m = \rho v = 7.5 \times 10^{-5} \times 1000 \times v = 0.09$	2
		giving $v = 1.2 \text{ m s}^{-1}$	
	ii	2.4 (m s^{-1})	1
	iii	$F = d(mv)/dt / AW$; $F = 0.09 \times (2.4 - 1.2) = 0.11 \text{ (N)}$; <i>ecf (a)ii</i>	3
	iv	towards or into shower head/backwards <i>ecf (a)iii</i>	1
			7

Question	Expected Answers	Marks
9	a i 48 (N) 0.25 (s)	1
	ii estimating area under graph or mean F; 6.5 ± 1	2 3
	b i $a = F/m$ or $= 48/0.5 ; = 96 \text{ (m s}^{-2}\text{)}$ <i>ecf a(i)</i>	2
	ii $Ft = mv$; $v = a(ii)/0.5 = 2a(ii) \text{ (m s}^{-1}\text{)}$ <i>ecf a(ii)</i>	2
	iii k.e. $= \frac{1}{2} mv^2$ or $= \frac{1}{2} \times 0.5 \times b(ii)^2 ; = a(ii)^2 \text{ (J)}$ <i>ecf b(ii)</i>	2 6
	c $Ft = mv \pm mu$ or $= 0.5 (8 \pm 14) ;$	1
	$F = 11/0.18 ; = 61(.1) \text{ (N)}$ <i>aliter mean a = 12(2) m s⁻² F = ma</i>	2 3
	Total	12

Question	Expected Answers	Marks
10	a i $3.8 \pm 0.3 \text{ (N s)}$	1
	ii momentum (of the ball) <i>accept impulse</i>	1
	iii $mv = 3.8$ or $v = 3.8/0.16 ; = 23 \text{ (m s}^{-1}\text{)}$ <i>ecf a</i>	2
	iv use $F = ma$ giving $24 = 0.16a ; a = 150 \text{ (m s}^{-2}\text{)}$	2 6
	b i exponential	1
	ii e.g. $h_1/h_2 = e^k = 2.1(5) ;$ giving $k = 0.74$ to 0.76 or substitution from a line of table; gives 0.748, 0.757 or 0.746	2
	iii 1.5 (m)	1
	iv $\Delta k.e. = mg\Delta h ; = 0.16 \times 9.8 \times 0.38 (= 0.60 \text{ J})$	2 6
	Total	12

Question	Expected Answers	Marks
11	a $(mv =) 300 ; \text{kg m s}^{-1}$ or N s	2 2
	b i (The speed of the bar increases so) it is accelerated forwards/AW; this requires a resultant (forward) force/ $F = ma$ idea	1
	ii Arrow in direction of motion/to right	1
	iii $(t = s/v = 3.0/0.60 =) 5.0 \text{ s}$	1
	iv $F = m (v - u)/t ; = 500 \times 1.2/5.0 ; = 120 \text{ (N)}$ <i>ecf b (iii)</i>	3 7

Question	Expected Answers	Marks
12	a i $\frac{1}{2} mv^2 = 7.6 \times 10^{-13}$ to give $v = \sqrt{(2 \times 7.6 \times 10^{-13} / 6.6 \times 10^{-27})}$	1
	evidence of calculation $v = \sqrt{2.3 \times 10^{14}} \text{ or } = 1.52 \times 10^7 \text{ (m s}^{-1}\text{)}$	1
	ii (electrostatic) repulsion between charged particles	1
	slows alpha and accelerates nucleus/AW	1
	momentum of system is conserved(as no external forces)	1
	sum of momenta of alpha and nucleus must always equal initial momentum of alpha/be a constant	1
	so speed of nucleus can be calculated as momentum = mv	1
	<i>max 3</i>	
	iii $mv = MV$ or $V = 6.6 \times 10^{-27} \times 1.52 \times 10^7 / 3.0 \times 10^{-25} ; = 3.3 \times 10^5 \text{ (m s}^{-1}\text{)}$	2
	iv $Ft = 2mv$ or $9.0 \times t = 2 \times 6.6 \times 10^{-27} \times 1.52 \times 10^7 ; t = 2.2 \times 10^{-20} \text{ (s)}$	2 9
	<i>give 1 mark for change in momentum = impulse or $\Delta mv = F(\Delta)t$</i>	

13	a	i	Mass x velocity/mv with symbols defined	1	
		ii	$0 = m_A v_A \pm m_B v_B$ or $m_A v_A = m_B v_B$ $v_A/v_B = \pm m_B/m_A$	1	3
			<i>max 1 mark for final expression without line 1</i>		
	b	i	$v_A = (10/5 =) 2.0 \text{ (ms}^{-1}\text{)}$ and $v_B = (10/10 =) 1.0 \text{ (ms}^{-1}\text{)}$	1	
		ii	$t_1 = 3.0/2.0 = 1.5 \text{ (s)}$ <i>ecf b(i)</i>	1	
		iii	$x = 2.1 - 1.0 \times 1.5 = 0.6 \text{ (m)}$	1	
		iv	$v = v_B + (5/50)v_A = 1.0 + 0.2 \text{ (= } 1.2 \text{ ms}^{-1}\text{)}$	1	
		v	$t_2 = t_1 + 0.6/1.2 = 2.0 \text{ (s)}$	1	
		vi	At collision the container (and fragments) stop	1	
		vii	By conservation of momentum, total momentum is still zero/AW straight lines from (0,0) to (1.5,0); (1.5,0) to (2.0,0.1); (x,0.1) for all x > 2	3	10
		Total			13

Question	Expected Answers	Marks			
14	a	mgh or $0.014 \times 9.8 \times h$; $= 0.22 \text{ J}$ so $h = 1.6 \text{ m}$	1 1	2	
	b	k.e. increases; at a decreasing rate	1 1		
	c	i	$\frac{1}{2}mv^2 = 0.11$ $v = \sqrt{(0.11 / 0.007)} = (3.96 \text{ m s}^{-1})$	1 1	5
		ii	$F = mg = 0.014 \times 9.8 = 0.137$ or 0.14 (N)	1	
		iii	$Fv = mgv$ or 0.14×4.0 $= 0.54$ to 0.56 (W) <i>ecf c(ii)</i>	1 1	
	d		k.e. after bounce $= 0.088 \text{ J}$ giving $u = \sqrt{(0.088/0.007)} = 3.55 \text{ m s}^{-1}$	1 1	4
			change in momentum $= m (v \pm u)$	1	
			$= 0.014(7.55) = 0.11$; $\text{kg m s}^{-1} / \text{N s}$	1	
	Total		13		

Question	Expected Answers	Marks	
15	a i	Using $F = ma$ gives $P = 3ma$ hence $a = P/3m$	1
	ii	$P/3$	1
	iii 1	$P/3m$	1
	2	$P/3$	1
	iv 1	$P/3$	1
	2	$2P/3$	1
	b i	$mu = mv_1 + mv_2$ $1/2mu^2 = 1/2mv_1^2 + 1/2mv_2^2$	1
	ii	some details of algebra/substitution to be shown resulting in e.g. $u = v_2$ and $u^2 = v_2^2$	1
	c i	all momentum is passed to block 2,(block 1 stops); then momentum is passed to block 3 (so block 2 does not move)/AW or argument in terms of k.e.	1
	ii	block 1 bounces back; and blocks 2 & 3 move (to right/together)	2
	Total		13

Question	Expected Answers	Marks	
16	a i area under curve (= momentum gained)	1	
	$Ft = (\text{change in}) \text{ momentum} / \text{AW}$	1	
	ii taken as two triangles of base 3 ms and height 900 N gives 2.7 (N s) or count squares	1	
	iii $N = \text{kg m s}^{-2}$ so $N \text{ s} = \text{kg m s}^{-1}$ or momentum = mv unit kg m s^{-1} $(\Delta)mv = Ft$ unit $N \text{ s}$	1	
	iv1 area = 2.7 = $mv = 0.06v$ giving $v = 45 \text{ (m s}^{-1}\text{)}$	1	
	2 $F(\text{max}) = 900 = ma = 0.06a$; $a = 15000 \text{ (m s}^{-2}\text{)}$	2	7
	b i $mu + mv = 0.06 (40 + 38) = 4.68 \text{ (kg m s}^{-1}\text{)}$	1	
	ii $\Delta k.e. = 1/2 m(v^2 - u^2) = 0.03 (40^2 - 38^2) ; = 4.68 \text{ (J)}$	2	
	iii $F = \Delta p / \Delta t = 4.68 / 0.012 ; = 390 \text{ (N)}$ <i>ecf</i>	2	5
	Total		12
17	a i momentum before = $2mv - 3mv = -mv$	1	
	momentum after = $4mv - m5v = -mv$	1	2
	ii initial k.e. = $2.5 mv^2$; final k.e. = $14.5 mv^2$ (so $\Delta k.e. = 12 mv^2$)	2	2
	iii k.e. of n is $12.5 mv^2$; so takes all of the extra k.e./AW	2	2
	iv $12 mv^2 = 12 \times 1.67 \times 10^{-27} \times 1.19^2 \times 10^{14} = 2.84 \times 10^{-12} \text{ (J)}$ <i>ecf ii</i>	1	1